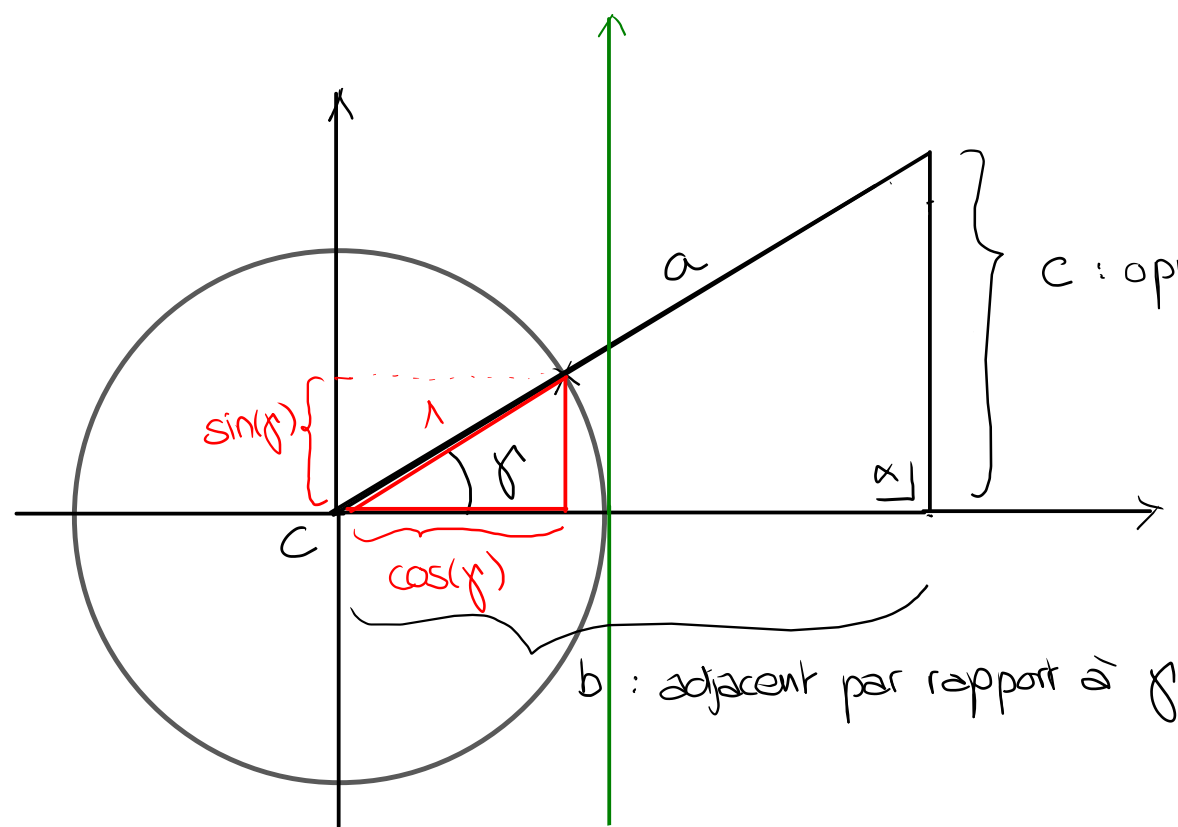
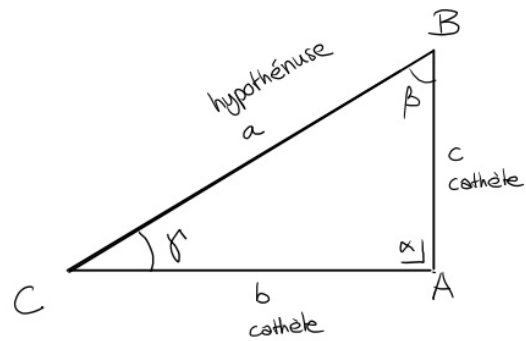


Triangle rectangle



c : opposé par rapport à γ

b : adjacent par rapport à γ

Thalès

$$\frac{\cos(\gamma)}{1} = \frac{b}{a} = \frac{\text{"adj"}}{\text{hyp}} \Leftrightarrow$$

$$\cos(\gamma) = \frac{\text{"adj"}}{\text{hyp}}$$

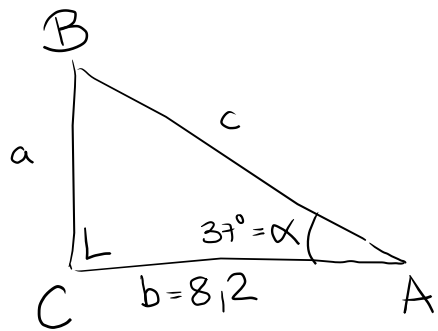
Thalès

$$\frac{\sin(\gamma)}{1} = \frac{\text{opp}}{\text{hyp}} \Leftrightarrow$$

$$\sin(\gamma) = \frac{\text{"opp"}}{\text{hyp}}$$

$$\Rightarrow \tan(\gamma) = \frac{\sin(\gamma)}{\cos(\gamma)} = \frac{\frac{\text{opp}}{\text{hyp}}}{\frac{\text{adj}}{\text{hyp}}} = \frac{\text{"opp"}}{\text{adj}}$$

Exemples : a) Résoudre le triangle rectangle ABC rectangle en C connaissant le côté $b = 8,2$ et $\alpha = 37^\circ$



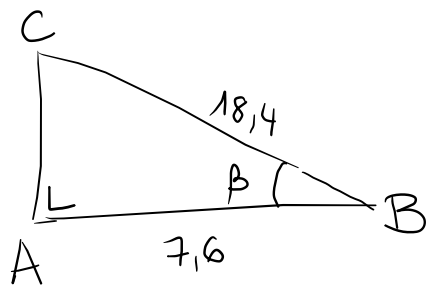
$$\beta = 90 - 37 = 53^\circ$$

$$\cos(37^\circ) = \frac{8,2}{c} \Leftrightarrow c = \frac{8,2}{\cos(37^\circ)} \cong 10,27 \text{ u}$$

$$\text{Pythagore : } 10,27^2 = 8,2^2 + a^2$$

$$\Leftrightarrow a = \sqrt{10,27^2 - 8,2^2} \cong 6,18 \text{ u}$$

b) Résoudre le $\triangle ABC$ rectangle en A connaissant $c = 7,6$ et $a = 18,4$



$$\text{Pythagore : } b = \sqrt{18,4^2 - 7,6^2} \cong 16,76$$

$$\cos(\beta) = \frac{7,6}{18,4} \Leftrightarrow \beta = \cos^{-1}\left(\frac{7,6}{18,4}\right) \cong 65,6^\circ$$

$$\Rightarrow \alpha \cong 90^\circ - 65,6^\circ \cong 24,4^\circ$$